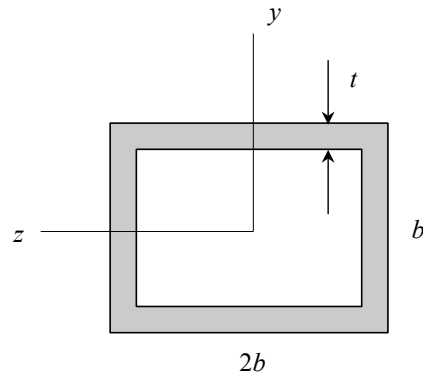


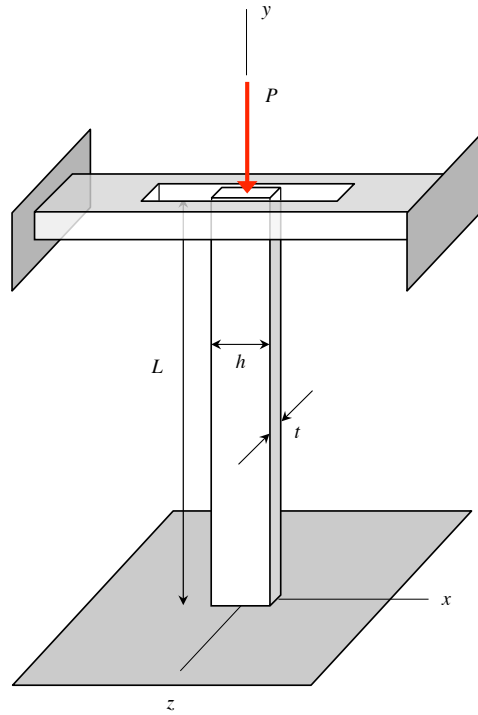
**Example 18.3**

A tubular steel column, with the cross section shown below and a length of  $L$ , is subjected to an axial load of  $P$ . The material of the column has a Young's modulus of  $E$  and a yield strength of  $\sigma_Y$ . If the column has fixed-free end conditions, what is the factor of safety for buckling?



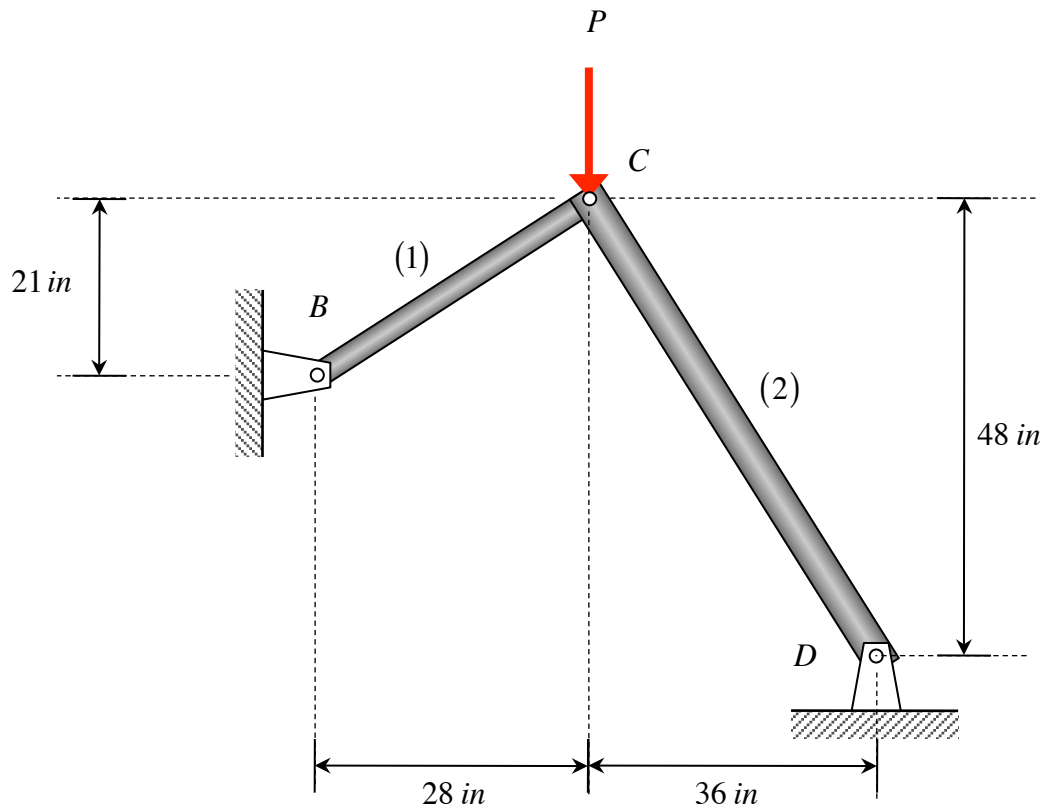
**Example 18.5**

The column shown below is clamped onto to ground at its bottom, with the top of the beam able to slide within a slot. The column carries an axial load of  $P$ . What is the largest load  $P$  that the column can withstand without buckling? Use  $h = 3t$  and  $L = 10h$ .



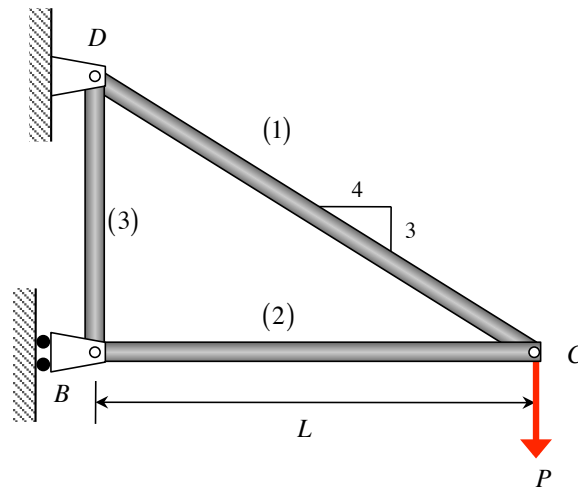
**Example 18.7**

The truss shown is made up of members (1) and (2), each made up of a material having a Young's modulus of  $E = 30 \times 10^6 \text{ psi}$  and have a solid circular cross section. The diameters of members (1) and (2) are 0.5 in and 1.0 in, respectively. Determine the largest load  $P$  that can be applied at joint C without buckling occurring in the structure. Consider only in-plane Euler buckling in your analysis.



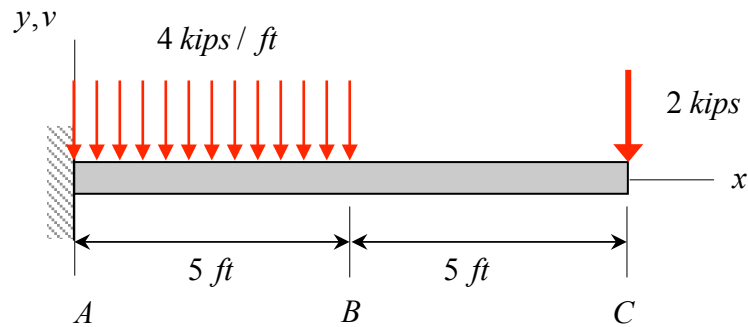
**Example 18.8**

The truss shown is constructed from members (1), (2) and (3), with each member made up of a material having a Young's modulus of  $E = 10 \times 10^6 \text{ psi}$ , a yield strength of  $\sigma_Y = 60 \times 10^3 \text{ psi}$  and each member having a solid circular cross section with a diameter of  $d = 1 \text{ in}$ . A force  $P = 10 \text{ kips}$  is applied to joint C in the truss. Determine the maximum length  $L$  allowed to prevent buckling in the truss. State whether the Euler theory or the Johnson theory was used in arriving at your result. Provide a justification for the choice of buckling theory used here.



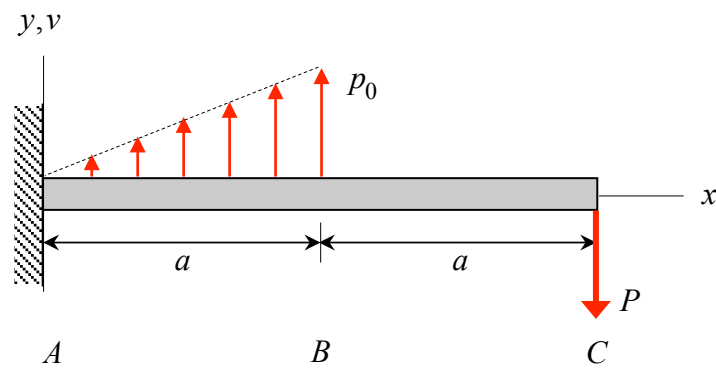
### Example 19.3

Shown below is a cantilevered  $W14 \times 120$  wide flange beam made up of steel, with  $E = 29 \times 10^3 \text{ ksi}$ . As shown in the Appendix of the textbook, this beam has a cross-sectional area of  $A = 35.3 \text{ in}^2$  and a second area moment of  $I = 1380 \text{ in}^4$ . Determine the slope and deflection at end C of the beam due to the loading shown.



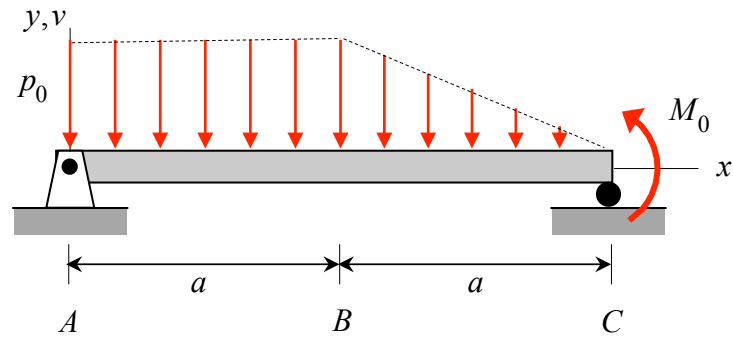
**Example 19.6**

Determine the deflection curve  $v(x)$  for the beam shown below.



**Example 19.7**

Determine the deflection curve  $v(x)$  for the beam shown below.



**Example 19.8**

Determine the deflection curve  $v(x)$  for the beam shown below.

